## <u>To Factor a Trinomial</u> of the Form $ax^2 + bx + c$ where a = 1

- 1. Factor out the Greatest Common Factor. If there is a common factor, be sure to include it as part of the final factorization.
- 2. Determine if the trinomial is factorable by finding *m* and *n* such that m + n = b and  $m \cdot n = c$ . If *m* and *n* do not exist, we conclude that the trinomial will not factor.
- 3. Using the *m* and *n* values from step 2, write the trinomial in factored form: (x+m)(x+n)

If c is *positive*, then m and n both have the same sign as b.

If c is *negative*, then m and n have different signs and the one with the greater absolute value has the same sign as b

Consider:

 $x^2 + 11x + 24$  ... find *m* and *n* so that  $m \cdot n = c \text{ or } + 24$  and m + n = b or + 11, in this case.

What two factors when multiplied together equal +24, but when added equal +11? Since *c* is positive, then *m* and *n* will have the same sign as *b* - both will be positive. While  $2 \cdot 12 = 24$  and  $4 \cdot 6 = 24$ , only  $3 \cdot 8 = 24$  and 3 + 8 = 11. So *m* and *n* must be +3 and +8.

Now use the *m* and *n* values to write the trinomial in factored form (x+3)(x+8).

Consider:

 $x^2 + 14x - 32$  ... find *m* and *n* so that  $m \cdot n = c$  or -32 and m + n = b or +14, in this case.

What two factors when multiplied together equal -32, but when added equal +14? Since *c* is negative, then *m* and *n* will have different signs and the one with the greater absolute value will have the same sign as *b*. *m* and *n* must be +16 and -2.

Now use the *m* and *n* values to write the trinomial in factored form (x+16)(x-2).

Factor:  $y^2 - 11y + 24$   $m \cdot n = 24$  and m + n = -11 m = -3 and n = -8Factors: (y-3)(y-8)

Factor:  $y^2 - 3y - 18$   $m \cdot n = -18$  and m + n = -3 m = -6 and n = 3Factors: (y - 6)(y + 3)

TRY:

$$y^2 + 5y + 6$$
  $y^2 - 13y + 30$ 

$$x^2 - x - 30$$
  $y^2 + 29y - 30$